

## ALTERNATE ACADEMIC CALENDER FOR THE MONTH OF FEBRUARY

**CLASS:9<sup>TH</sup>**

**PROBABILITY**

**MATHEMATICS**

**Advisory activities that can be carried out on Probability.**

S. o	Month week	Expected learning competencies	Learning activities	Evaluation
<b>1</b>	1 <sup>ST</sup> Week	Introduction for Probability. Out come of an experiment is known as an event.	By discussing some of the probability events in day-to-day life and discussing over the formula of probability. <a href="https://youtu.be/Q7kAYyKtero">https://youtu.be/Q7kAYyKtero</a>	List of events
		15.2 Probability-A Theoretical Approach.	Let us learn meaning experimental approach with some examples. <a href="https://youtu.be/m8ZEU-jNTJ4">https://youtu.be/m8ZEU-jNTJ4</a>	Activity sheet-1 & 2
<b>2</b>	2 <sup>nd</sup> Week	Part 1- Chapters revision	1.Number Systems 2.Introduction to Euclid’s Geometry. 3.Lines and Angles. After revision of these three chapters conducting a Unit Test.	Question Papers
			4.Polynomials. 5.Triangles	
			6.Constructions 7.Quadrilaterals	

## PROBABILITY

**Probability:** Probability means the extent to which an event is likely to occur.

**Radom experiment:** An experiment, whose outcome is from the events that aren't completely known but exact outcome is not known

**Example:** 1) Any game 2) tossing a coin 3) Examination result  
4) Throwing a disc 5) Picking a colour marble from a box

**The Result set (Sample Space):** Set of all possible outcomes of a statistical experiment. It is denoted by S

Sl.no	Radom experiment	Sample Space
1	Any game	S= {lose, win}
2	Coin tossed	S= {head, tail}
3	Exam result	S= {Pass, fail}
4	Throwing a die	S= {1,2,3,4,5,6}
5	Picking a marble from a box	S= {red, blue, green}

**An Event:** An outcome or defines collection of outcomes of a random experiment, it is denoted by E.

Probability of an event =  $\frac{\text{Number of trials in which the event happens}}{\text{Total number of trials}}$

$$P(E) = \frac{n(E)}{n(S)}$$

**PROBABILITY**  
**ACTIVITY SHEET-1**

1. What is probability?
  
2. What is experimental or empirical probabilities?
  
3. What is the result set or the sample space?
  
4. What is an event?
  
5. Write the experimental probabilities when a coin is tossed.
  
6. Write the experimental probabilities when a die is thrown.
  
7. Formula to find the event of a probability.
  
8. Write experimental probability of the exam result.

## PROBABILITY

### ACTIVITY SHEET-2

**EXAMPLE:** A die is thrown 1000 times with the frequencies for the outcomes 1,2,3,4,5 and 6 as given in the following table. Find the probability of getting each outcome.

Outcome	1	2	3	4	5	6
Frequency	179	150	157	149	175	190

Solution: Let  $E_i$  denote the events of getting the outcome where  $i = 1, 2, 3, 4, 5, 6$ .

Then Probability of the outcome 1 =  $P(E_1) = \frac{\text{Frequency of 1}}{\text{Total number of times the die is thrown}}$

$$P(E_1) = \frac{179}{1000} = 0.179$$

Similarly,  $P(E_2) = \frac{150}{1000} = 0.15$  ,  $P(E_3) = \frac{157}{1000} = 0.157$ ,

$$P(E_4) = \frac{149}{1000} = 0.149 , P(E_5) = \frac{175}{1000} = 0.175$$

and  $P(E_6) = \frac{190}{1000} = 0.19$

Therefore,  $P(E_1) + P(E_2) + P(E_3) + P(E_4) + P(E_5) + P(E_6) = 1$

#### DO IT YOURSELF:

1) A tyre manufacturing company kept a record of the distance covered before a tyre needed to be replaced. The table shows the results of 1000 cases.

Distance (in km)	Less than 4000	4000 to 9000	9001 to 14000	More than 14000
Frequency	20	210	325	445

If you buy a tyre of this company, what is the probability that:

(i) it will need to be replaced before it has covered 4000km?

(ii) it will last more than 9000 km?

(iii) it will need to be replaced after it has covered somewhere between 4000km and 14000 km?

## NUMBER SYSTEM

### UNIT TEST

1) Express 0.47 in  $\frac{p}{q}$  form.

2) Find the product of  $6\sqrt{5} \times 2\sqrt{5}$  \_\_\_\_\_ .

3) Represent  $\sqrt{2}$  on a number line.

4) Rationalise the denominator and simplify it  $\frac{\sqrt{3} + \sqrt{2}}{\sqrt{3} - \sqrt{2}}$

5) Express  $\overline{0.3}$  in  $\frac{p}{q}$  form.

6) Find the decimal expansion of  $\frac{1}{7}$

# INTRODUCTION TO EUCLID'S GEOMETRY

## UNIT TEST

1) If  $a=b$  then  $2a=$  \_\_\_\_\_

2) A line is \_\_\_\_\_

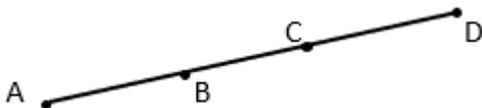
3) What are Axioms?

4) What are Postulates?

5) Write down any two axioms?

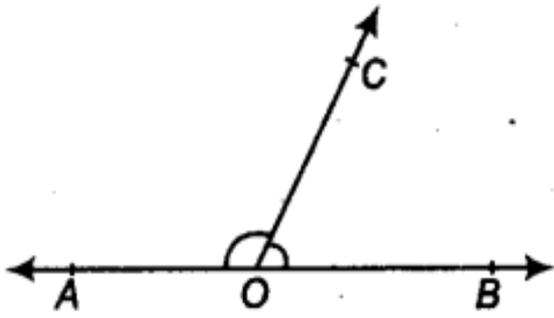
6) Write down any two Postulates?

7) In the figure if  $AB=BD$  then prove that  $AB=CD$ .

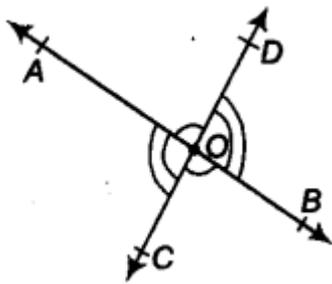


# LINES AND ANGLES

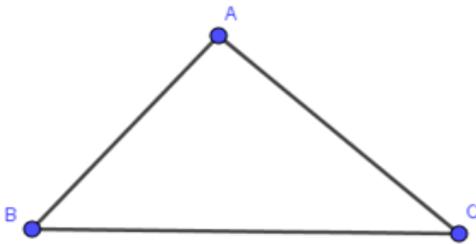
## UNIT TEST



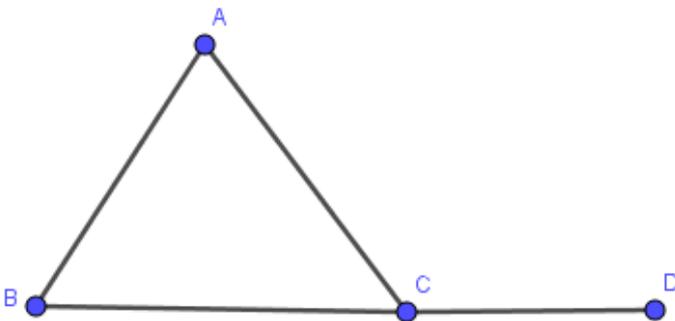
In the figure  $\angle BOC = 50^\circ$  then find  $\angle AOC$



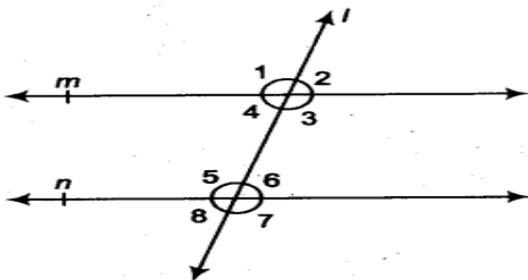
In the figure if  $\angle AOD = 110^\circ$  then find  $\angle BOC$  and  $\angle BOD$



In the figure if  $\angle ABC = 55^\circ$  and  $\angle ACB = 70^\circ$  then find  $\angle BAC$



In the figure if  $\angle ABC = 60^\circ$  and  $\angle BAC = 50^\circ$  then find  $\angle ACB$



From the figure write a pair of given angles  
1) Corresponding angles

2) Alternate angles

3) Interior angles

# POLYNOMIALS

## UNIT TEST

1.  $P(x) = 2x+3$  is \_\_\_\_\_ type of polynomial.
2.  $P(x)=x^3+3x^2+2x+5$  degree of the equation \_\_\_\_\_
3. If  $P(x)=5x+3$  then find value of  $P(2)$  .
4. Find if the roots of the equation  $P(x)=x^2-1$  are  $-1$  and  $+1$ .
5. Divide  $3x^4-4x^3-3x-1$  from  $(x-1)$
6. Find the remainder when  $x^4+x^3-2x^2+x+1$  is divided by  $(x-1)$  without actual division (using remainder theorem).
7. Factorise using suitable identities:  $25a^2 + 20a + 4$
8. Write expanded form of  $(x + y + z)^2$
9. Expand  $(a - b)^3$
10. Find the value of  $(99)^3$  using suitable identities.

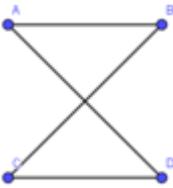
# TRIANGLES

## UNIT TEST

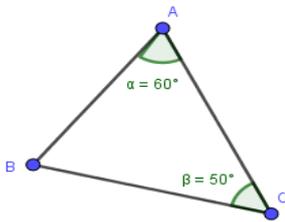
1. Prove S.A.S Congruence rule.

2. RHS congruence rule.

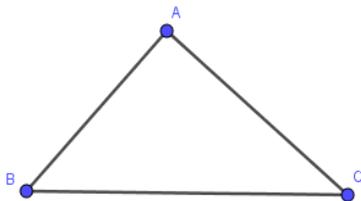
3. In the figure if  $AB \parallel CD$ ,  $AO = OD$  then prove that  $\triangle AOB \cong \triangle COD$ .



4.



4) In the figure identify the biggest and smallest side.



5) In the figure  $AB = 4\text{cm}$ ,  $BC = 6\text{cm}$  and  $AC = 8\text{cm}$  write the greatest and smallest angle.

6. Prove that “the angles opposite to equal sides of an isosceles triangle are equal”.

## CONSTRUCTIONS

### UNIT TEST

1) Construct an angle of  $60^\circ$  at the initial point of a given ray and bisect it.

2) Construct a perpendicular bisector of line segment 6cm.

3. Construct a triangle ABC in which  $BC=7\text{cm}$   $\angle ABC=70^\circ$  and  $AB+AC=11\text{ cm}$

4) Construct a triangle ABC in which  $BC=8\text{cm}$ ,  $\angle ABC=45^\circ$  and  $AB-AC=3\text{cm}$ .

5) Construct a triangle with its perimeter  $12\text{cm}$  and base angles  $50^\circ$  and  $60^\circ$ .

# QUADRILATERALS

## UNIT TEST

1. What are Quadrilaterals?

2. Mention the properties of quadrilaterals?

3. Mention the types of quadrilaterals for the following.

Rectangle	Rhombus	Trapizium
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4. Write the properties of the given quadrilaterals.

Square

Parallelogram

5. Prove that the diagonals of a parallelogram bisect each other.

6. The angles of quadrilaterals are in the ratio 3:5:9:13. Find all the angles of the quadrilaterals.

7. Prove that "The line drawn through the mid-point of one side of a triangle, parallel to another side bisect the third side".